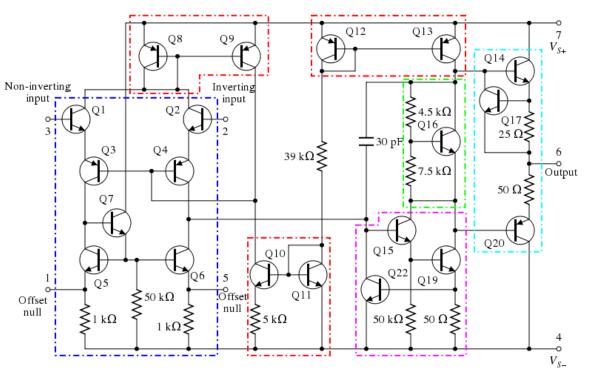
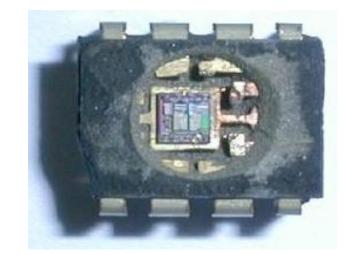
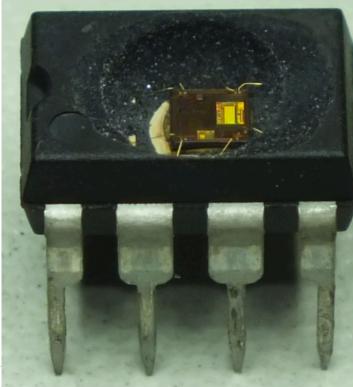
PHYS127AL Lecture 11

David Stuart, UC Santa Barbara Operational Amplifiers continued

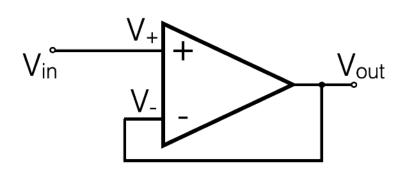






Op-amp review: negative feedback; golden rules

The "golden rules" for op-amp operation encode this idea in two simple rules that are sufficient to analyze the behavior of most op-amp circuits:

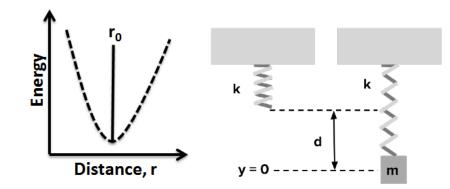


Rule 2 can only work when there is some sort of feedback from V_{out} to V₋. Otherwise, V_{out} is "*at a rail*" if $V_+ \neq V_-$.

Relies on enormous gain to apply "force back to equilibrium position", through negative feedback. Golden rules:

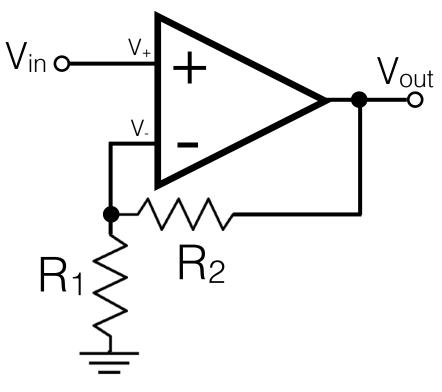
1). No current flows into the inputs, i.e., $I_+ = 0$ & $I_- = 0$ This follows from the FET inputs.

2). The op-amp output will do whatever it can to force the inputs to be equal, i.e., $V_+ = V_-$



Op-amp review: non-inverting amplifier

Using the golden rules we can analyze the circuit for a non-inverting amplifier



Rule 1 means high impedance. Rule 2 means that V_{out} relates to $V_{in}=V_{+}=V_{-}$ through a simple voltage divider relationship. $V_{-}=V_{out} R_{1}/(R_{1}+R_{2}) = V_{in}$

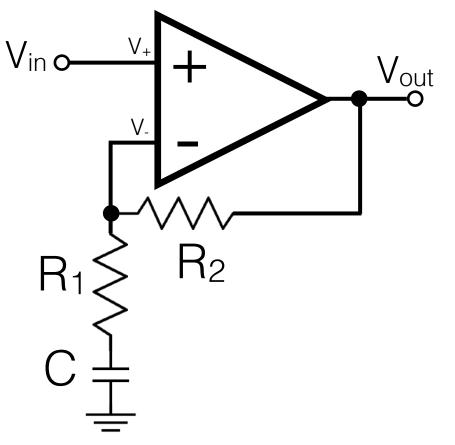
Solving for V_{out} in terms of V_{in} gives $V_{out} = V_{in}(R_1+R_2)/R_1$ $V_{out} = V_{in}(1+R_2/R_1)$

 $\mathbf{G} = 1 + \mathbf{R}_2 / \mathbf{R}_1$

Limits on R₁ and R₂.

Non-inverting amplifier

What would we get if we added a capacitor in the non-inverting amplifier?



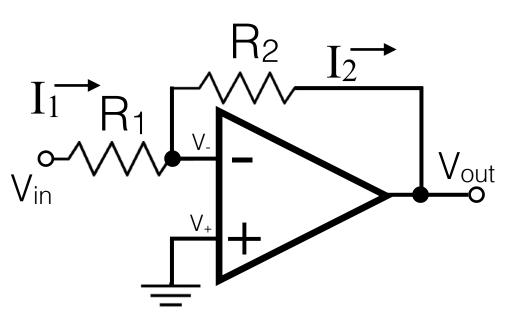
 $G = 1 + R_2/R_1$

becomes

$$G = 1 + R_2 / (R_1 + X_C) = 1 + R_2 / (R_1 + 1/\omega C)$$

Op-amp review: inverting amplifier

Using the golden rules we can analyze the circuit for an inverting amplifier



Rule 2 means V_- = ground. Called a "virtual ground".

Rule 1 means that no current flows into inverting input. So, $I_1 = I_2$

$$V_{in} = I_1 R_1$$

 $V_{out} = -I_2 R_2 = -I_1 R_2 = -V_{in} R_2 / R_1$

 $\mathbf{G} = -\mathbf{R}_2/\mathbf{R}_1$

Package

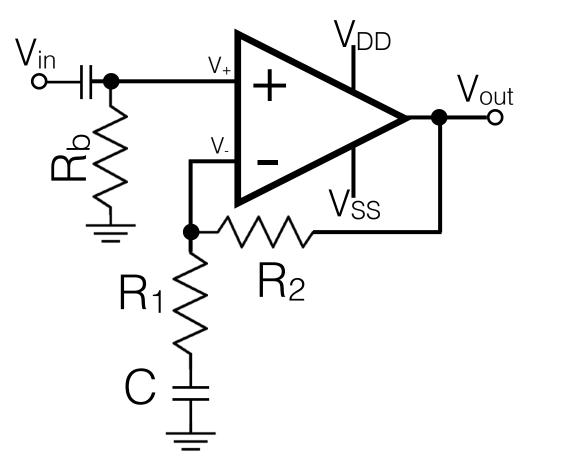
You will use an LM741 in an 8-pin DIP



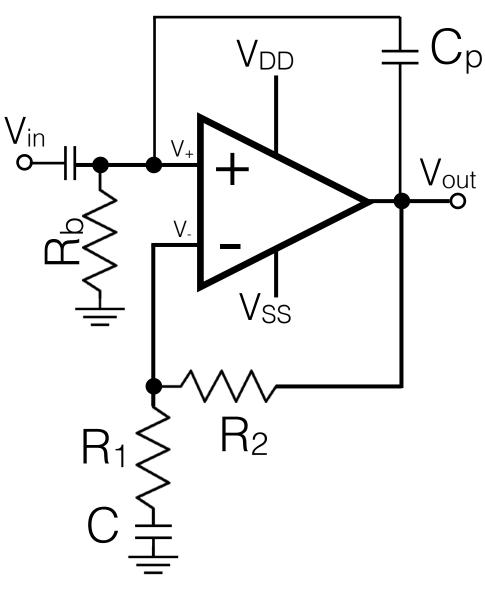
LM741 Pinout Diagram OFFSET NULL -NC 8 INVERTING INPUT -OUTPUT NON-INVERTING INPUT -OFFSET NULL 5

Input biasing

We need to bias the input because AC coupling gives no ground reference.



What would we get if we added a capacitor to the <u>positive</u> feed-back loop?

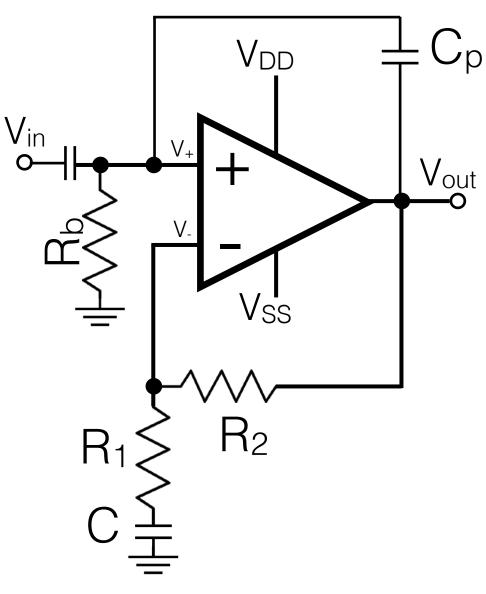


This would feed the signal back to the input, with a small delay.

That would be amplified, and that would feedback further causing a growing oscillation.

Parasitic capacitance and inductance can cause oscillation even when there is not input.

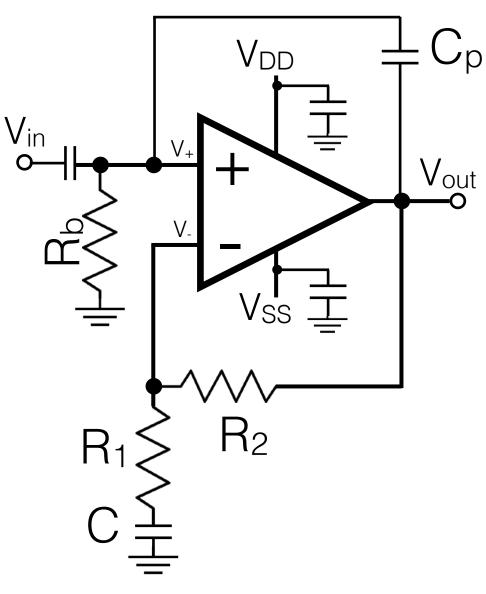
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The power supplies can't provide that current fast enough through long (inductive) wires.

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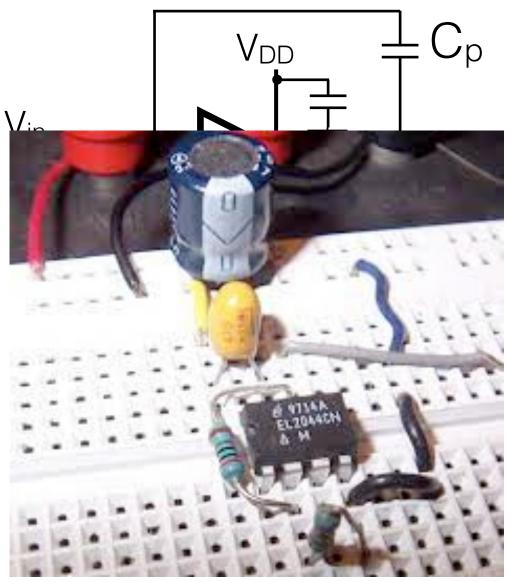


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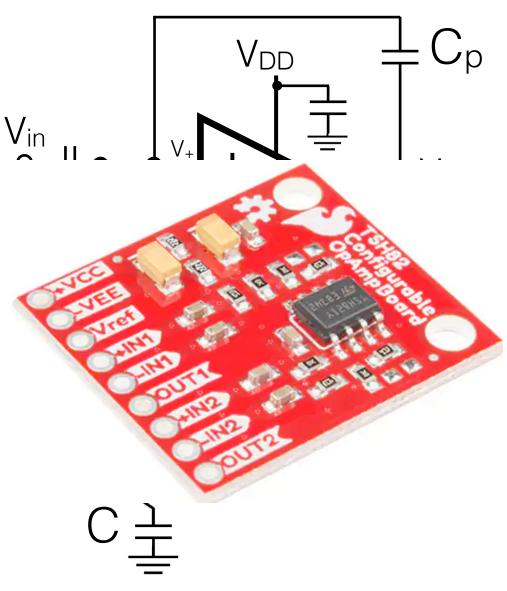


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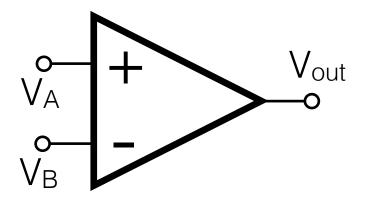
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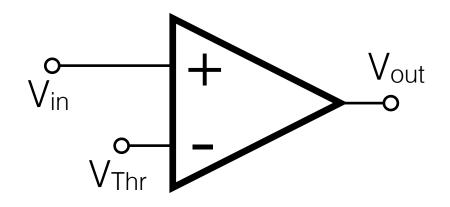


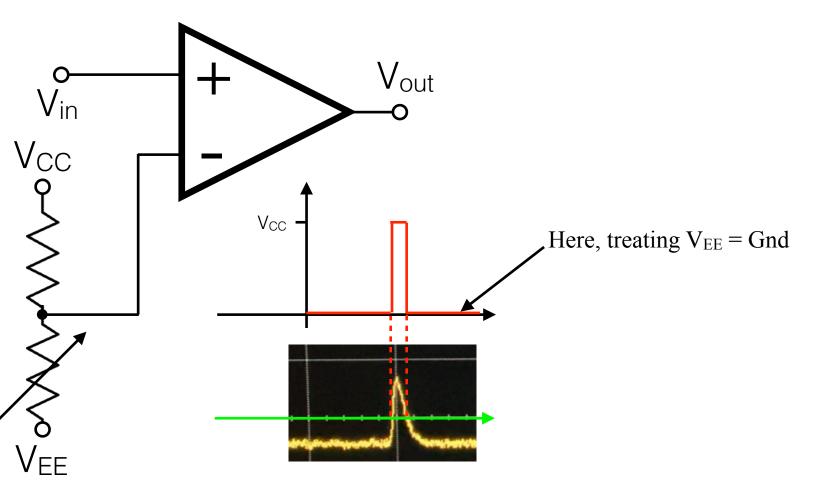
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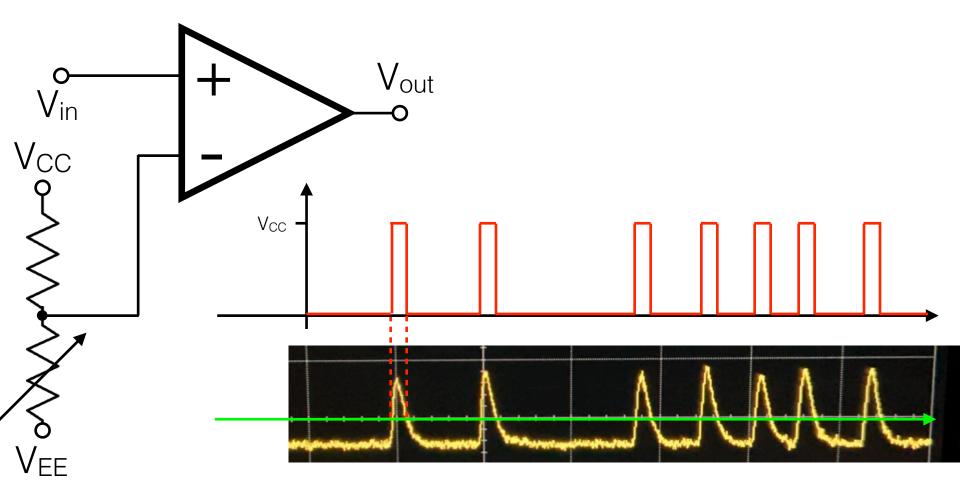
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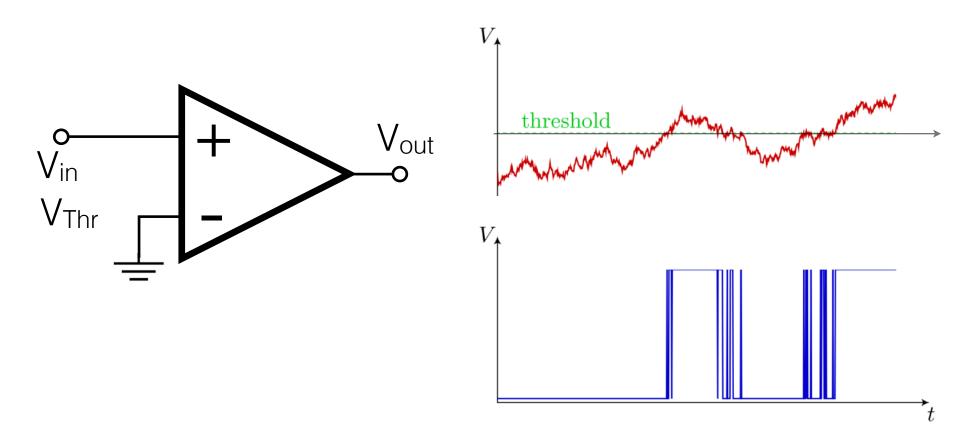






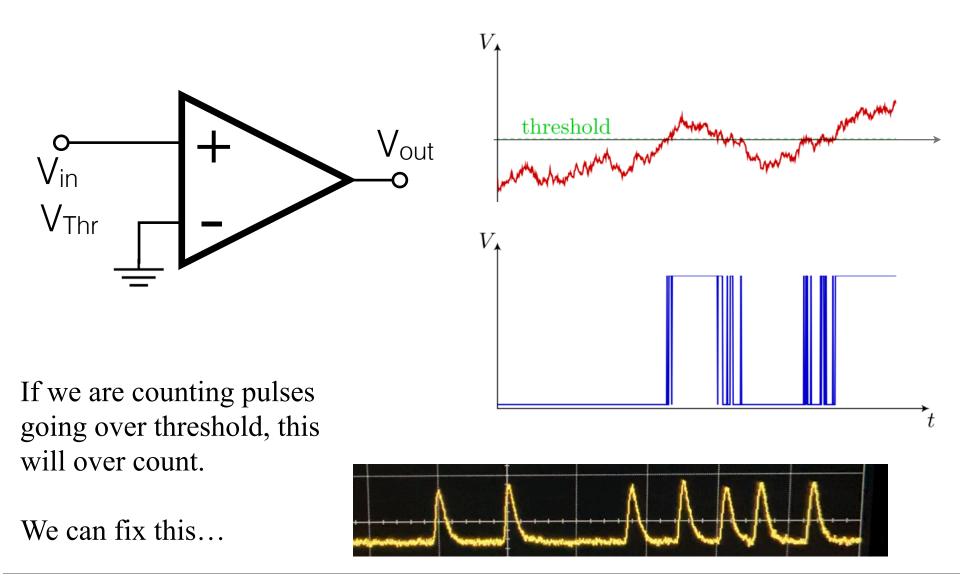
Comparator problem from noise

A fast comparator can fire on noise.



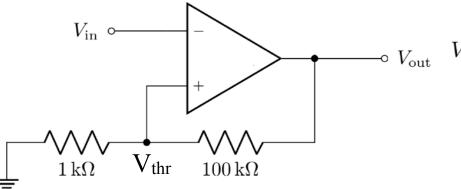
Comparator problem from noise

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Schmitt trigger to fix comparator noise problem

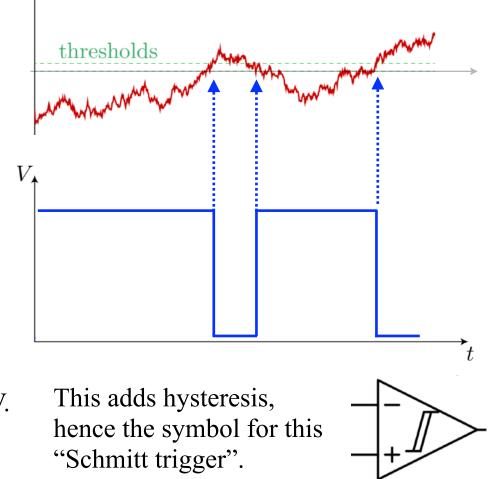
We can fix this by *changing the threshold* for rising and falling transitions



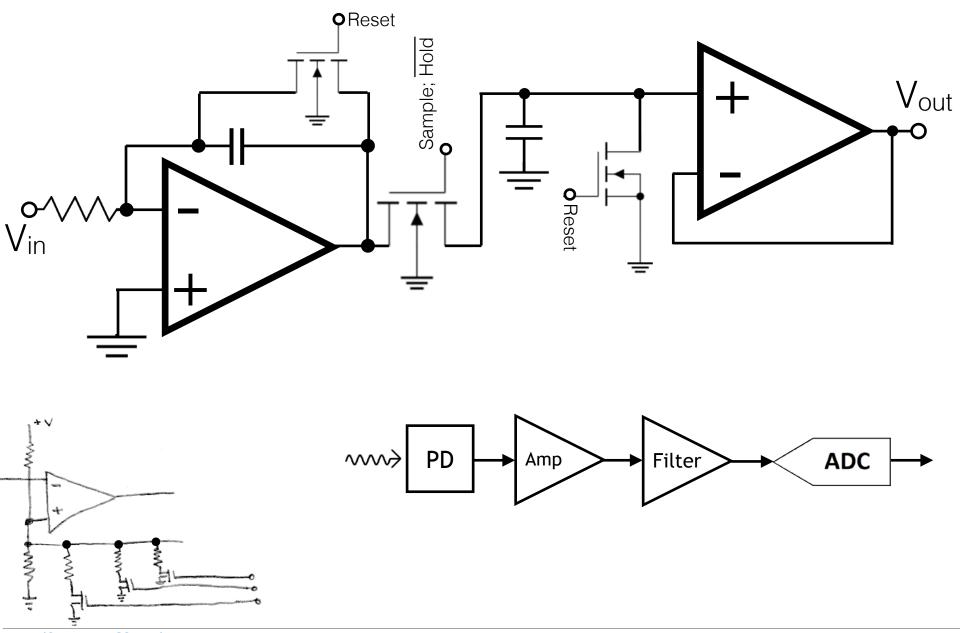
Note the <u>opposite polarity</u> of inputs! V_{out} is low when $V_{in} > V_{thr}$ V_{out} is high when $V_{in} < V_{thr}$

When V_{out} is low the threshold is 0 V. When V_{out} is high, the threshold is higher; here $V_{Thr} = 5 * 1k/(101k) = 50$ mV.

 V_{out} stays high until V_{in} goes above 50 mV. V_{out} stays low until V_{in} goes below 0 V.



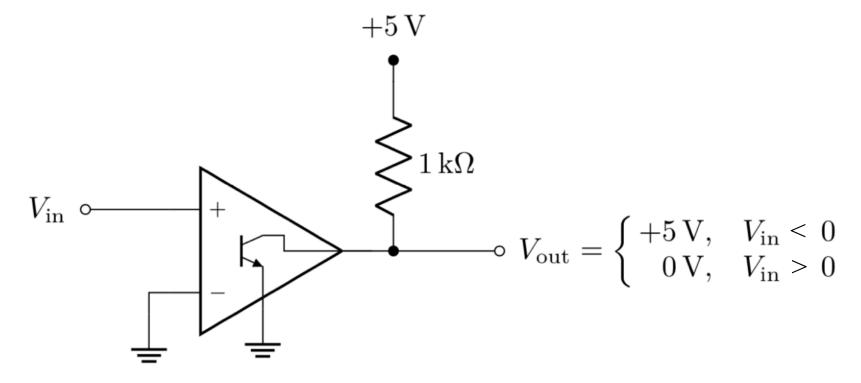
Integrate, sample, hold, and compare



DavidStuart@UCSB.edu Phys127AL Lecture 11: Operational amplifiers continued

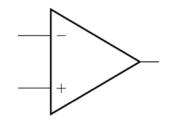
Comparator with "open-collector" output

Often comparator chips differ from standard op-amps in that they have a special output stage with the output connected to a transistor's collector. This allows optimization for speed, and external control of logic levels.

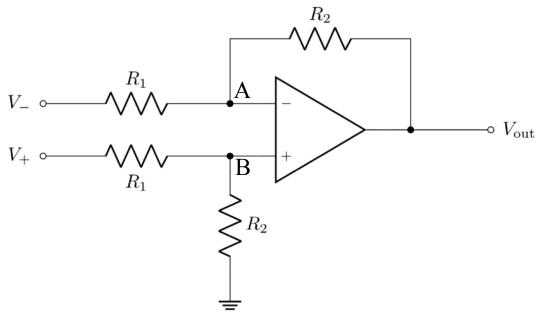


This requires a pull-up resistor. Note the opposite polarity of the comparator response. Without a pull-up, it goes high impedance, aka tri-state.

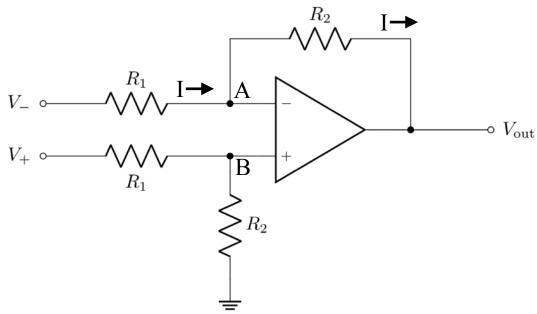
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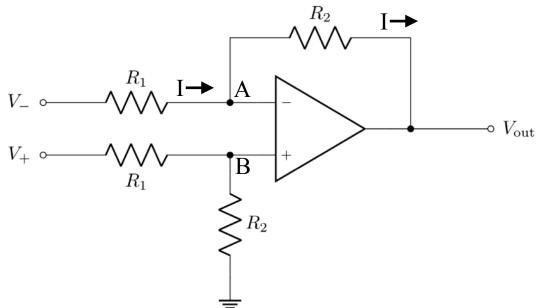


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 $V_B = V_+ R_2/(R_1+R_2) = V_A$ I = (V_- - V_A)/R_1 V_{out} = V_A - I R_2

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$$V_B = V_+ R_2/(R_1+R_2) = V_A$$

I = (V_- - V_A)/R_1
V_{out} = V_A - I R_2

 $V_{out} = V_{+} R_{2}/(R_{1}+R_{2}) - (V_{-} - V_{A})R_{2}/R_{1}$ = $R_{2} [V_{+}/(R_{1}+R_{2}) - V_{-}/R_{1} + V_{+}R_{2}/R_{1}(R_{1}+R_{2})]$ = $R_{2} [V_{+}(1+R_{2}/R_{1})/(R_{1}+R_{2}) - V_{-}/R_{1}]$ = $R_{2} [V_{+}(R_{1}/R_{1}+R_{2}/R_{1})/(R_{1}+R_{2}) - V_{-}/R_{1}]$ = $R_{2} [V_{+}/R_{1} - V_{-}/R_{1}]$ = $(V_{+} - V_{-})R_{2}/R_{1}$

Design of a smoke alarm

We have enough tools to start *designing* things.

Learning the electronics design process is part of our goal here.

As we design, we might need to learn some new tools.

So, let's go through the design of a smoke alarm. In lab next week you will make a "burglar alarm".



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Start with an overview of the required stages:

Sense smoke \rightarrow Process information \rightarrow Generate alarm

Design of a smoke alarm

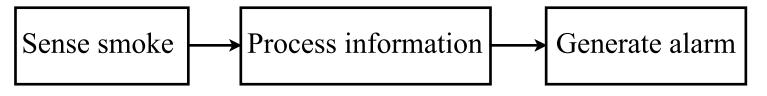
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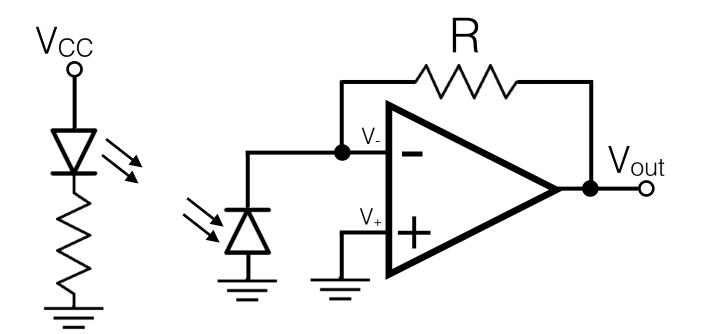
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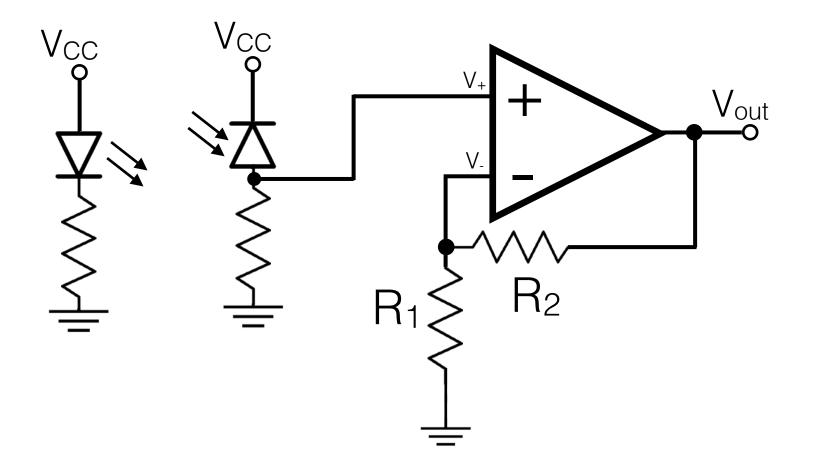


We can sense smoke as a decrease in the transparency of air.

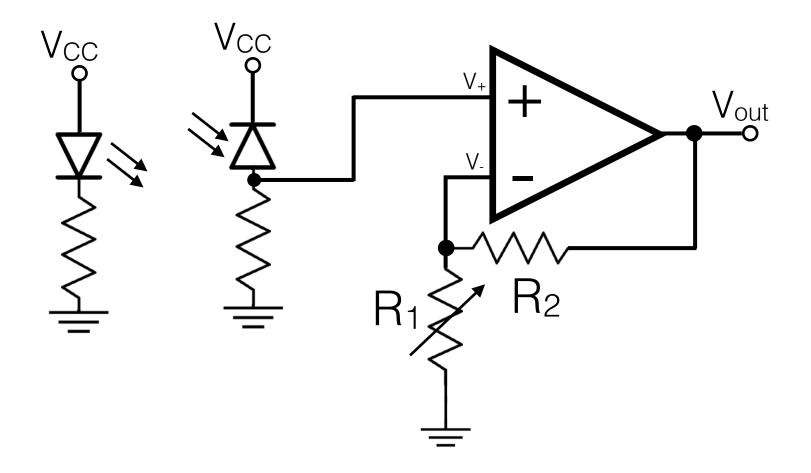
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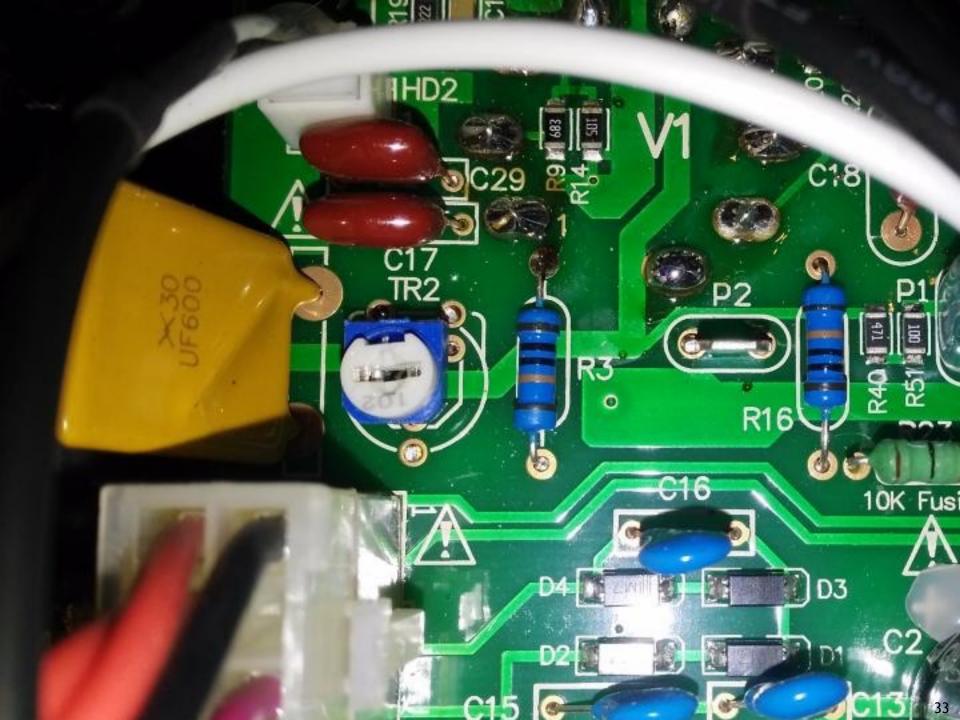
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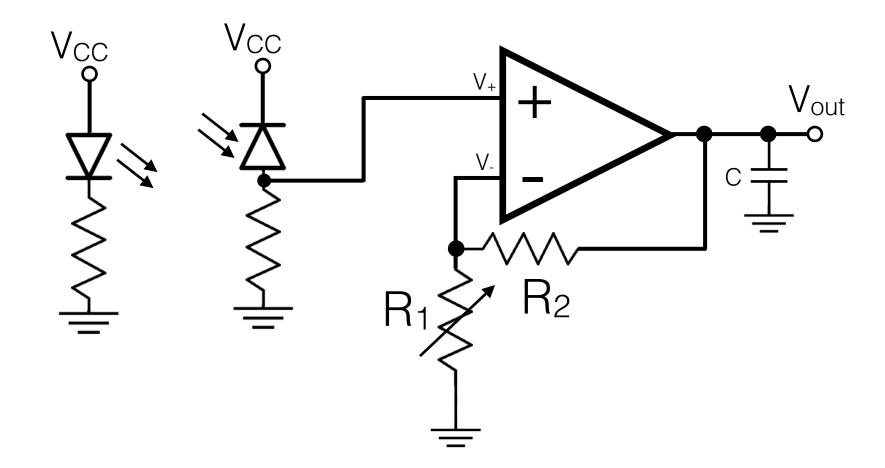


Adjust R1 until Vout is in the desired range for smoke vs no-smoke



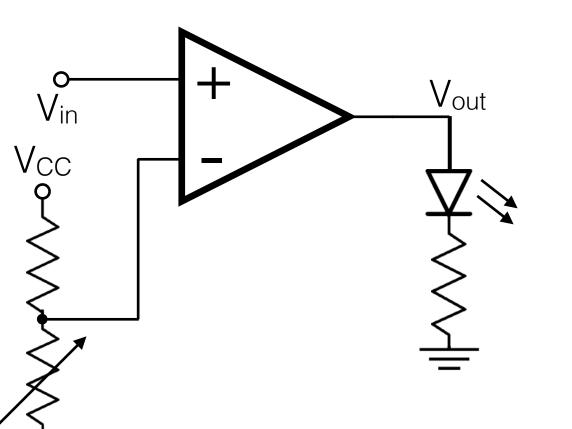
Process

We might want to add another amplifier, and a low pass filter, but this amp does most of what we need.



Alarm

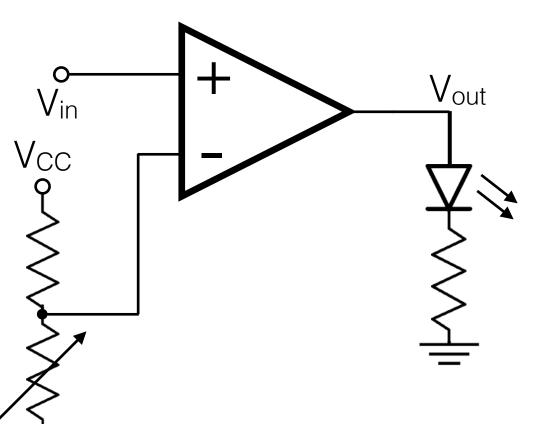
We need to alarm if the voltage gets below some threshold



 $V_{out} = V_{CC}$ if V_{in} above V_{Thr} .

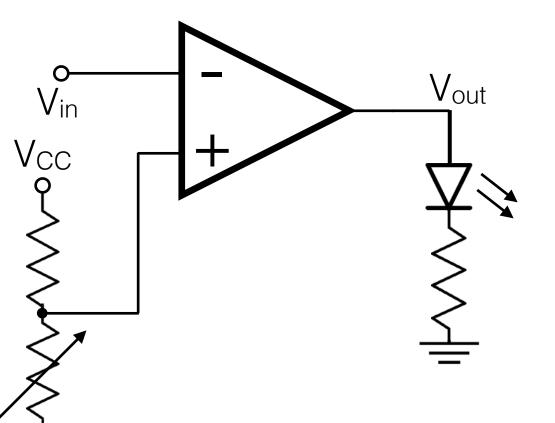
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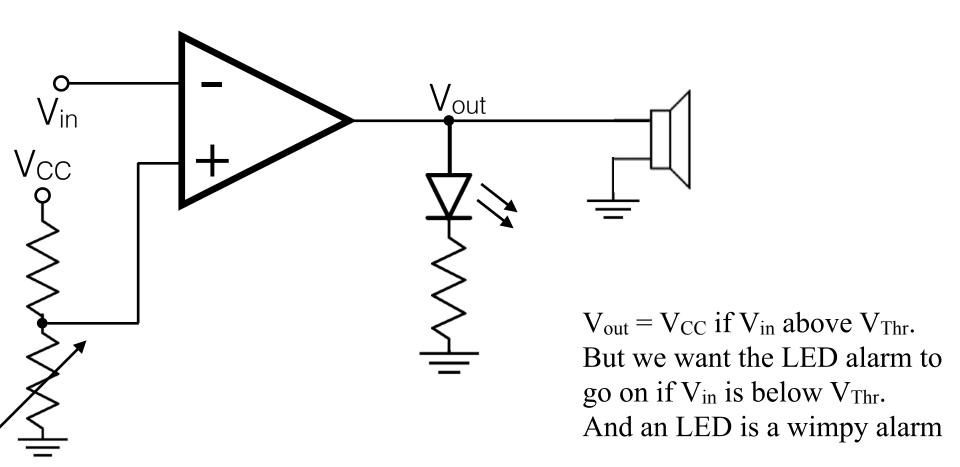
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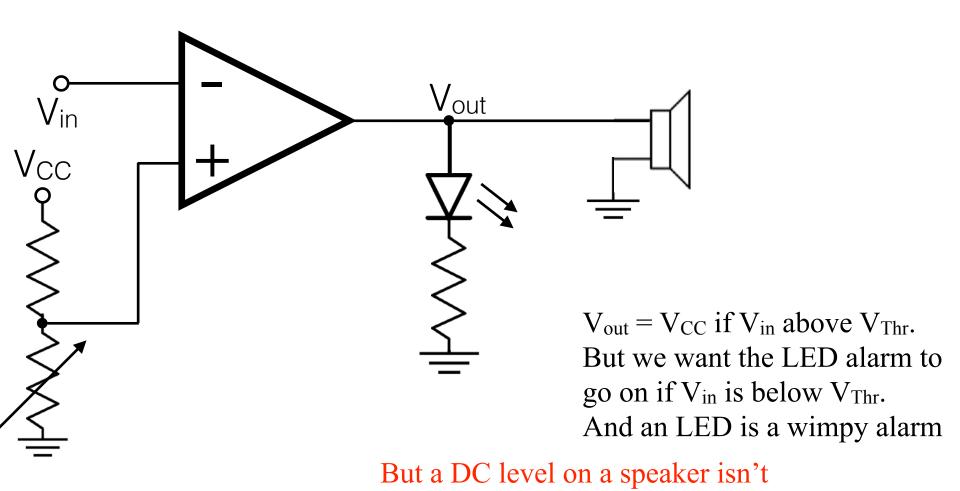


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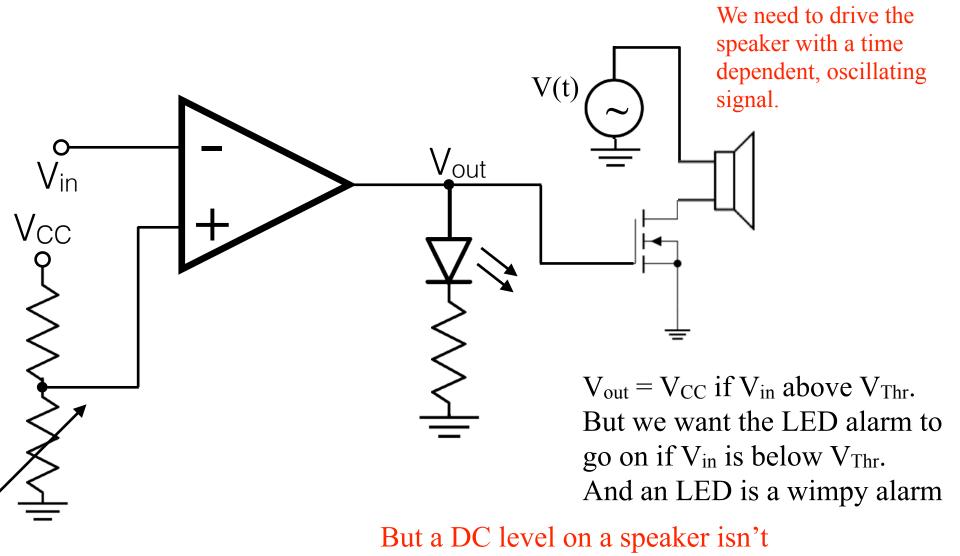
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going to cause a sound!

Phys127AL Lecture 12: An application and oscillators

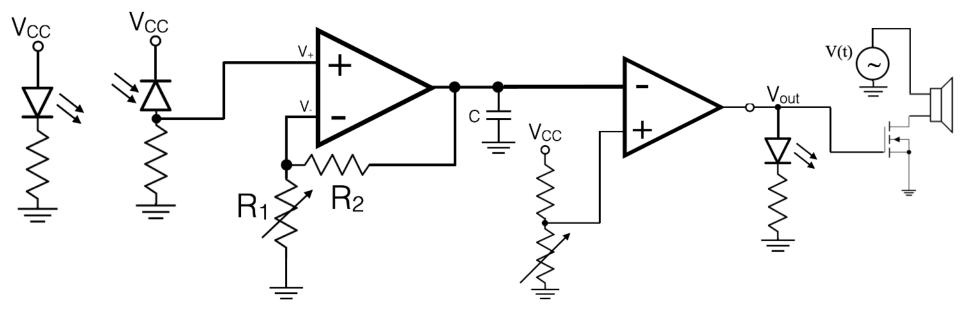
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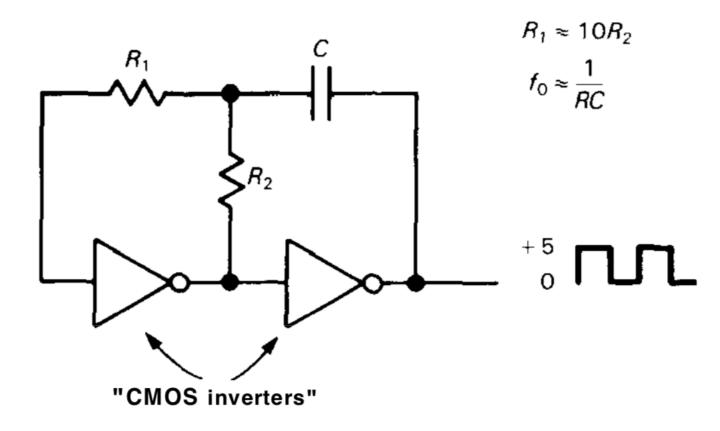
Phys127AL Lecture 12: An application and oscillators

Smoke alarm

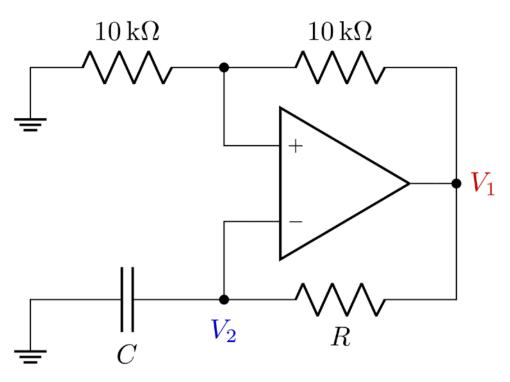


Safety checks: Battery warning Test feature

We can make an oscillator with any positive feedback



We can make an oscillator with an op-amp

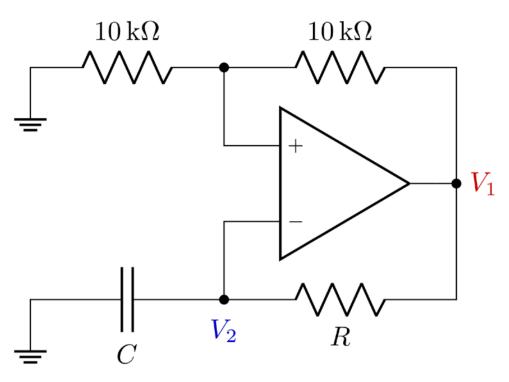


The $I_+ = I_- = 0$ golden rule means we can calculate V_+ and V_- in terms of V_1 .

$$V_{+} = V_{1}/2$$

 $V_{2} = V_{-} = V_{1} - I R$

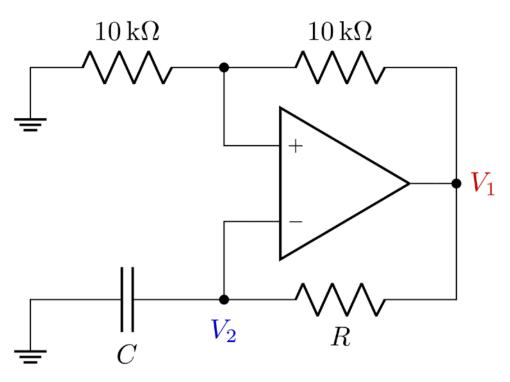
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The $I_+ = I_- = 0$ golden rule means we can calculate V_+ and V_- in terms of V_1 .

 $V_{+} = V_{1}/2$ $V_{2} = V_{-} = V_{1} - I R$ where I = C dV₂/dt

We can make an oscillator with an op-amp

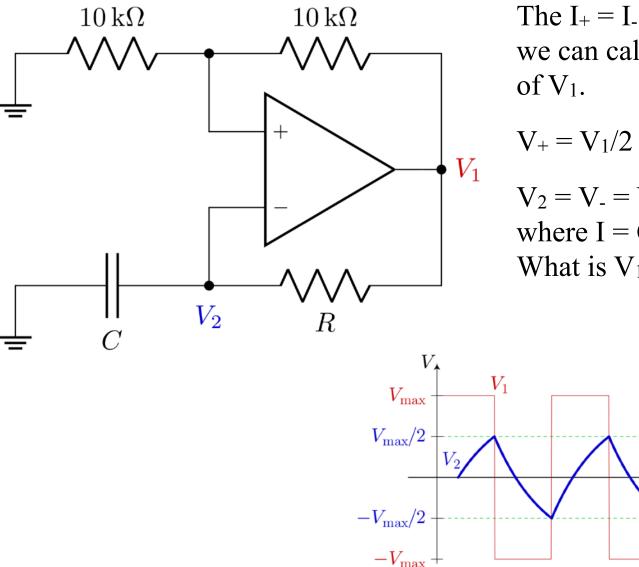


The $I_+ = I_- = 0$ golden rule means we can calculate V_+ and V_- in terms of V_1 .

 $V_{+} = V_{1}/2$

 $V_2 = V_2 = V_1 - I R$ where $I = C dV_2/dt$ What is V_1 ?

We can make an oscillator with an op-amp

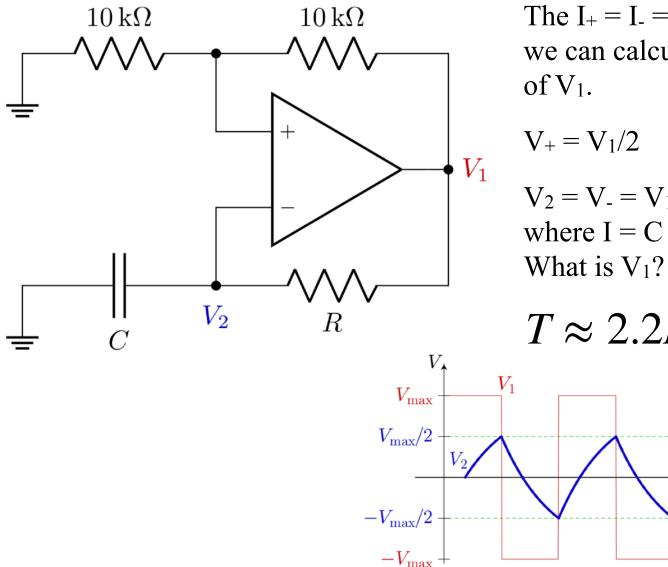


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t

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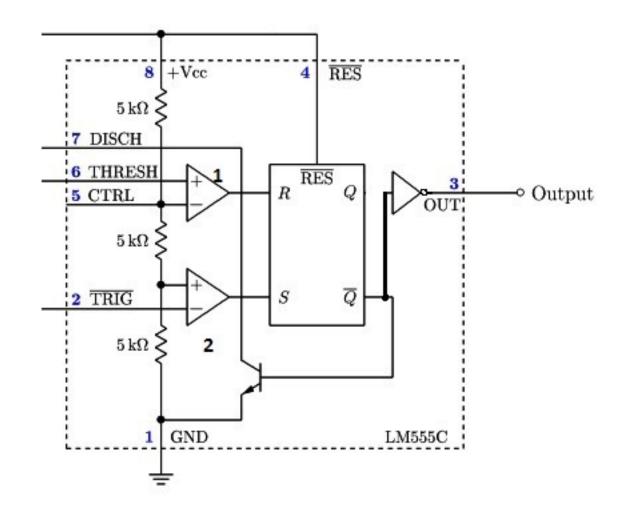
 $V_2 = V_- = V_1 - I R$ where $I = C dV_2/dt$

 $T \approx 2.2RC$

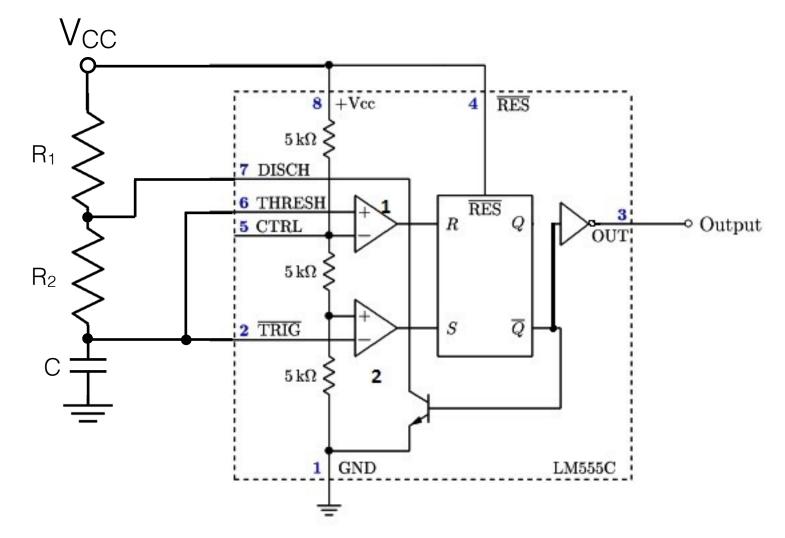


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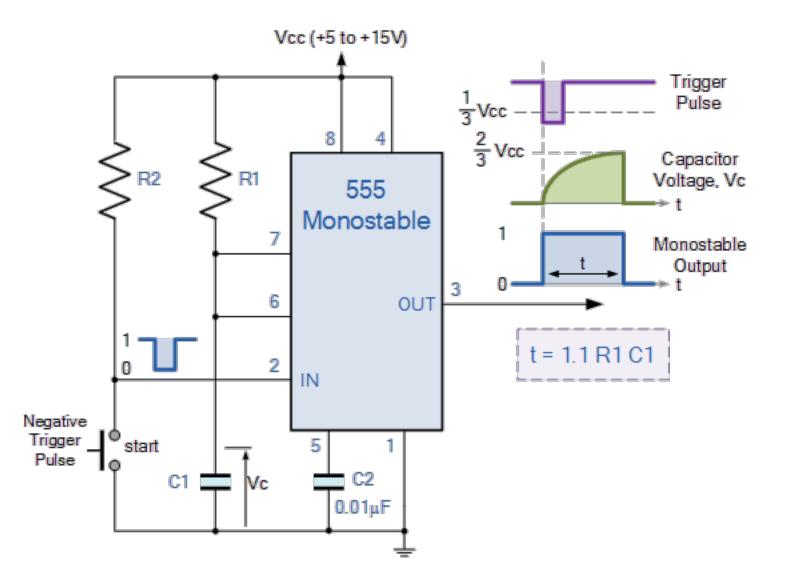
Oscillators and other timing applications are common, so there is a timer chip



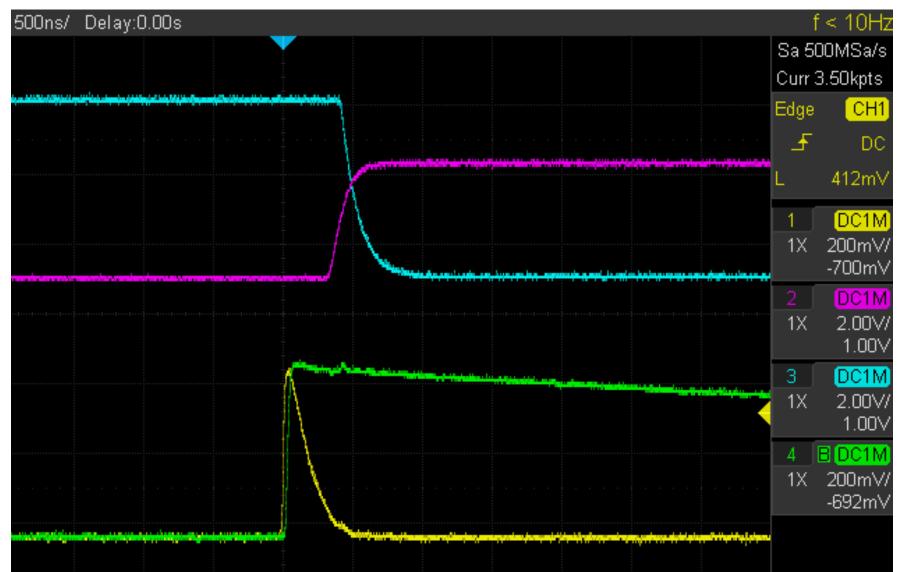
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